

§6-1 Graphing Linear Inequalities in Two Variables

Let x be the kg of nuts
y be the kg of raisins

$\$25/\text{kg}$ nuts
 $\$8/\text{kg}$ raisins.
total less than $\$200$

$$25x + 8y \leq 200$$

What are 3 different combinations of nuts and raisins that would cost less than $\$200$?

(x, y)	$(7, 3)$	$(4, 12)$	$(1, 1)$
$(1, 1)$	\leftarrow a few combinations that would work.		
$(1, 2)$			
$(3, 3)$			

continuous
 $x \geq 0$ } real numbers
 $y \geq 0$

Example 1 (p 295)

Graph the solution set for this linear inequality:

$$-2x + 5y \geq 10$$

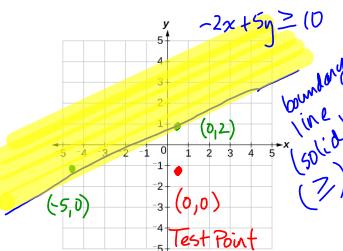
Graph the boundary line ($\text{the equation } -2x + 5y = 10$)

x-intercept (let $y=0$)

$$\begin{aligned} -2x + 5(0) &= 10 \\ -2x &= 10 \\ x &= -5 \end{aligned}$$

y-intercept (let $x=0$)

$$\begin{aligned} -2(0) + 5y &= 10 \\ 5y &= 10 \\ y &= 2 \end{aligned}$$



Test $(0, 0)$ in the inequality:

$$\begin{array}{ll} \text{LS} & \text{RS} \\ -2x + 5y & 10 \\ -2(0) + 5(0) & \\ 0 & \end{array}$$

Since 0 is not ≥ 10 ,
the point $(0, 0)$ is not
in the solution set.
(Shade the other side
of the line)

Assume we are working
with real numbers since no context is given for the
inequality.

Example 2 - Graphing linear inequalities with vertical or horizontal boundary lines.

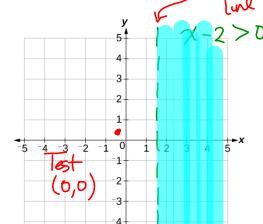
a) $\{(x, y) \mid x - 2 > 0, x \in \mathbb{R}, y \in \mathbb{R}\}$

point such that
↑
↑
↑
↑
↑

element of real numbers
element of real numbers

$$\begin{aligned} x - 2 &> 0 \\ x &> 2 \end{aligned}$$

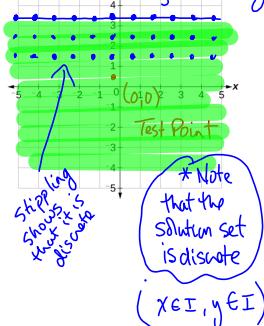
(boundary line is $x = 2$)



b) $\{(x, y) \mid -3y + 6 \geq -6 + y, x \in \mathbb{I}, y \in \mathbb{I}\}$

$$\begin{aligned} -3y + 6 &\geq -6 + y \\ -4y &\geq -12 \\ y &\leq 3 \end{aligned}$$

↑ direction changes (division by neg #)



Example 3

\$100 / skis

\$120 / snowboard

goal to meet or exceed \$600 per day.

let x be # of pairs of skis sold
 y be # of snowboards

$$100x + 120y \geq 600$$

Graph boundary line $100x + 120y = 600$

x -intercept (let $y=0$)

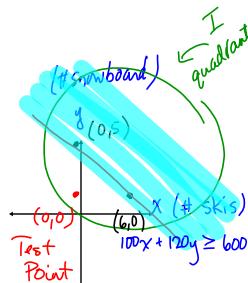
$$100x + 120(0) = 600$$

$$\begin{aligned} 100x &= 600 \\ x &= 6 \end{aligned}$$

y -intercept (let $x=0$)

$$100(0) + 120y = 600$$

$$y = 5$$



$$\{(x, y) \mid 100x + 120y \geq 600, x \in \mathbb{W}, y \in \mathbb{W}\}$$

* p302 - Summary (look over)

* p303 - C4U (look over)

* p303 - Practising (4, 5, 7, 8)